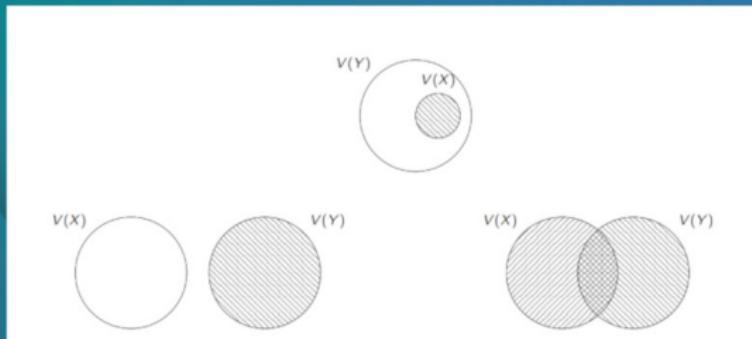
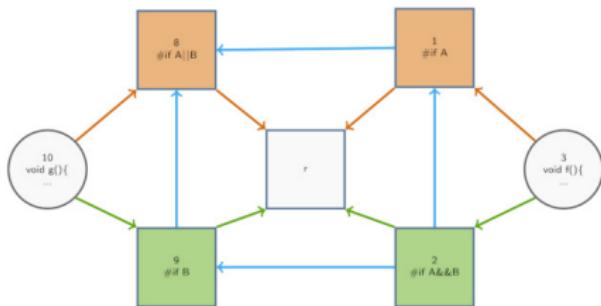


Inspecting the Evolution of Feature Annotations in Configurable Software

FOSD 2023

Lukas Güthing, Paul Bittner, Christof Tinnes, Thomas Thüm, Timo Kehrer | March 27–31, 2023



Evolution of Feature Annotations in Configurable Software

```
1     #ifdef A
2     void f(){
3         ...
4     }
5     #endif
6
7     #ifdef A || B
8     void g(){
9         ...
10    }
11    #endif
```

Motivation
●○○

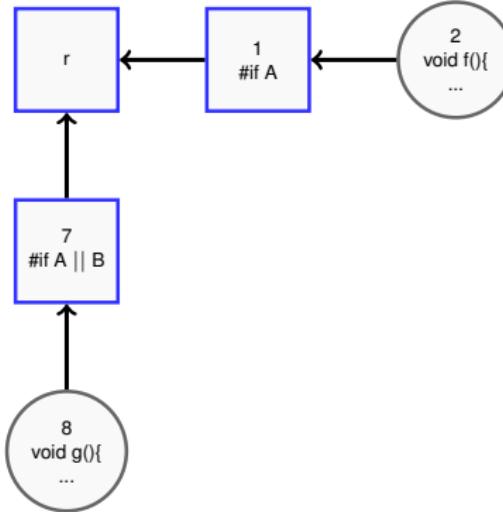
Formalism
○○○○○○○○

Evaluation
○○○○○

Evolution of Feature Annotations in Configurable Software

```
1      #ifdef A
2      void f(){
3          ...
4      }
5      #endif
6
7      #ifdef A || B
8      void g(){
9          ...
10     }
11     #endif
```

Variation Trees [BTS⁺²²]



Motivation



Formalism



Evaluation



Evolution of Feature Annotations in Configurable Software

```
1      - #ifdef A
2      + #ifdef A && B
3          void f(){
4              ...
5          }
6      #endif
7
8      - #ifdef A || B
9      + #ifdef B
10         void g(){
11             ...
12         }
13     #endif
```

Motivation
●●○

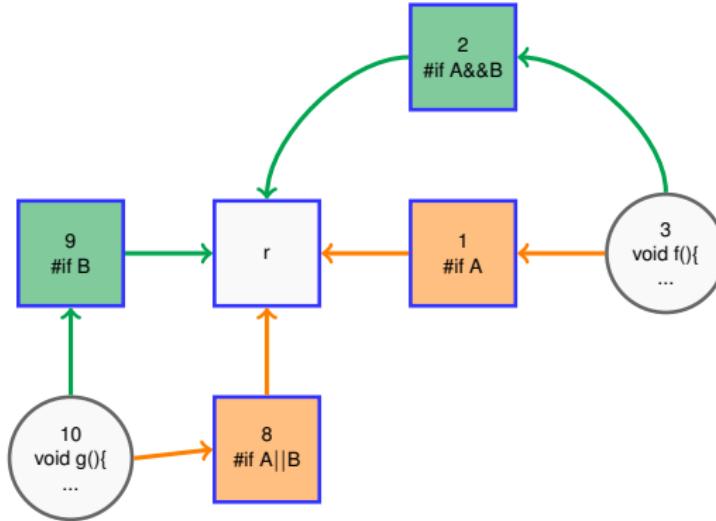
Formalism
○○○○○○○○

Evaluation
○○○○○

Evolution of Feature Annotations in Configurable Software

```
1      - #ifdef A
2      + #ifdef A && B
3          void f(){
4              ...
5      }
6      #endif
7
8      - #ifdef A || B
9      + #ifdef B
10         void g(){
11             ...
12     }
13     #endif
```

Variation Diffs [BTS⁺22]



Motivation
●●○

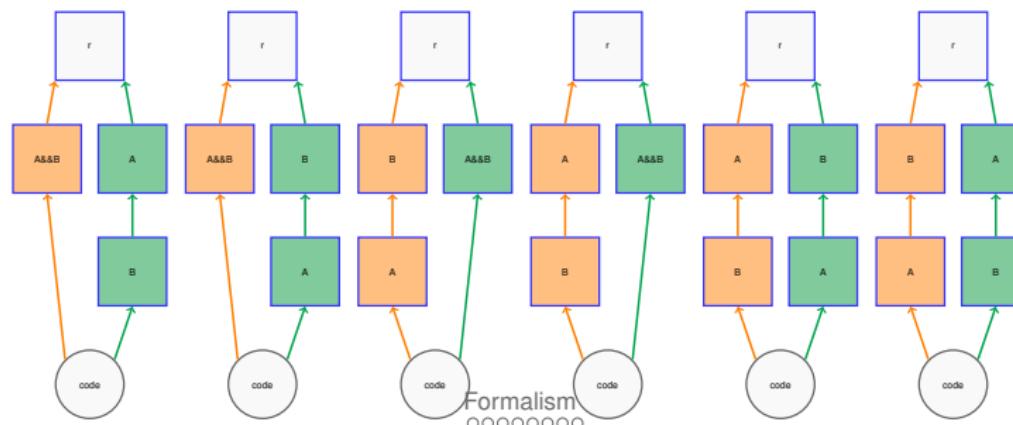
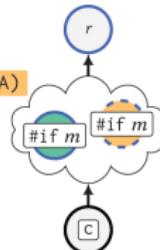
Formalism
○○○○○○○○

Evaluation
○○○○○

Edit Classes

Refactoring(c) := unchanged(c)
 $\wedge (PC_b(c) \models PC_a(c))$
 $\wedge (PC_a(c) \models PC_b(c))$
 $\wedge (path_b(c) \neq path_a(c))$

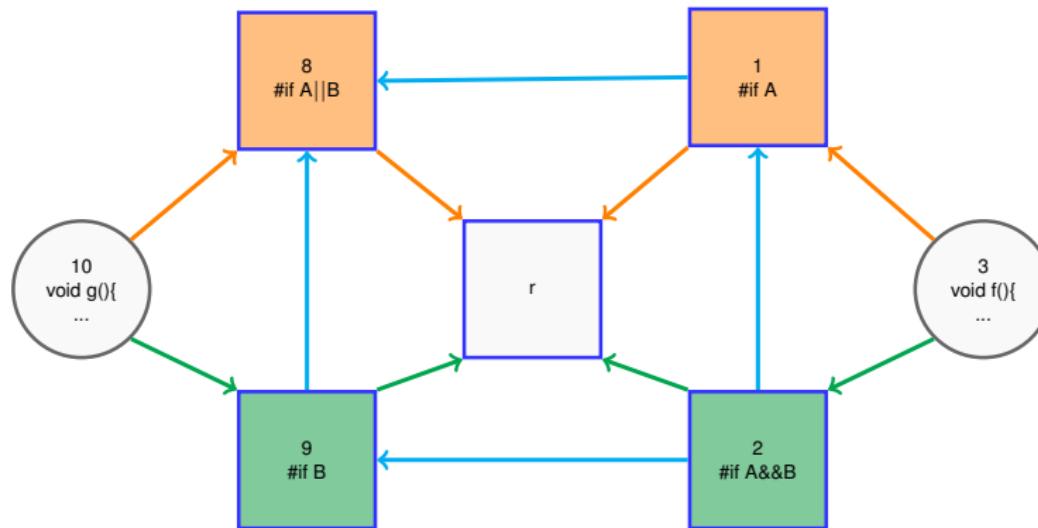
- `#if A || (B && !A)`
 + `#if A || B`
 c
`#endif`



Motivation
 ○○●

Evaluation
 ○○○○○○○

Edge-Typed Variation Diff



Motivation

ooo

Formalism

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Evaluation

oooooo

Edge-Typed Variation Diff

$$EVD = (V, E, r, \tau, I, \Delta, \boxed{\pi})$$

$E : V \times V$,

$$E = \{(x, y) | x, y \in V, xRy\}$$

for a relation R and an edge label function π .

Relations between feature mappings: $\tau(x) = \tau(y) = \text{mapping}$

Motivation
○○○

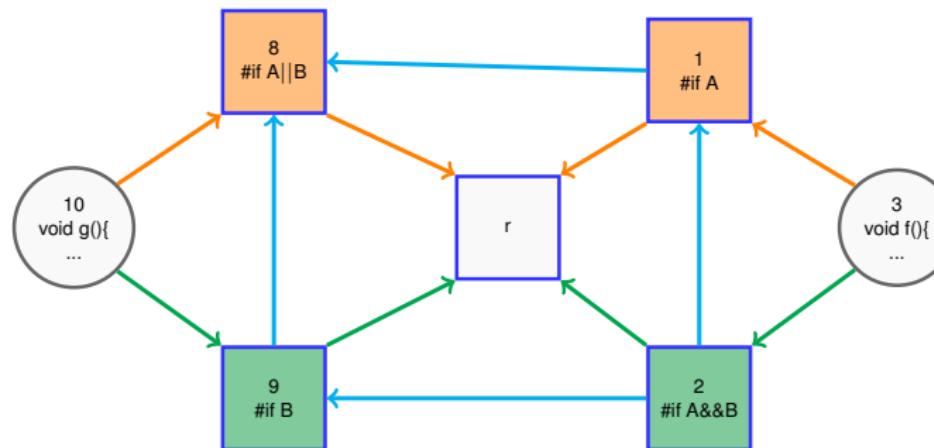
Formalism
○●○○○○○

Evaluation
○○○○○

Implication Edges

$$E_n = \{(x, y) | x, y \in V, \tau(x) = \tau(y) = \text{mapping}, \boxed{xRy}\}$$

$$\boxed{xRy} := I(x) \models I(y)$$

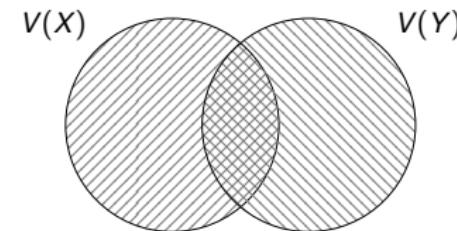
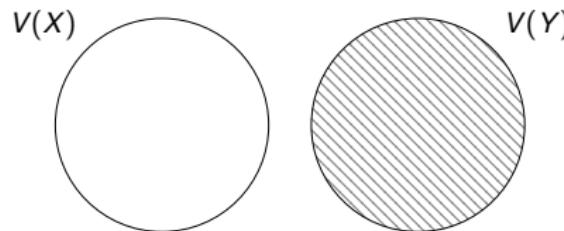
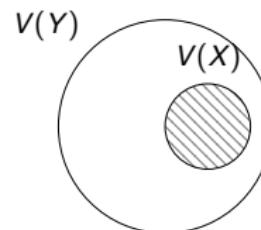


Motivation
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Formalism
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Evaluation
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Edge Relation Choice

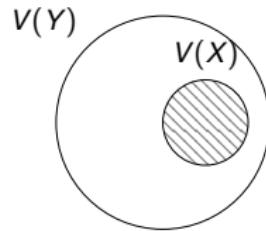


Motivation
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Formalism
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Evaluation
○○○○○

Subset/*Implication*



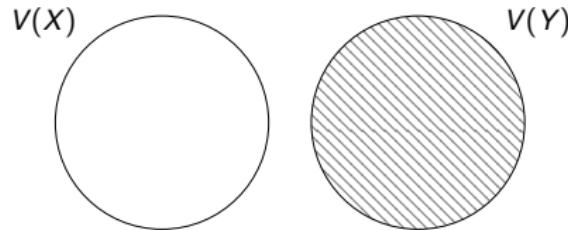
$$\begin{aligned}
 X \models Y & \\
 \Leftrightarrow \text{TAUT}(X \Rightarrow Y) & \\
 \Leftrightarrow \neg \text{SAT}(X \wedge \neg Y) &
 \end{aligned}$$

Motivation
○○○

Formalism
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Evaluation
○○○○○

Disjoint/*Alternative*



$$\begin{aligned} X \models \neg Y \\ \Leftrightarrow \neg SAT(X \wedge Y) \\ (\Leftrightarrow Y \models \neg X) \end{aligned}$$

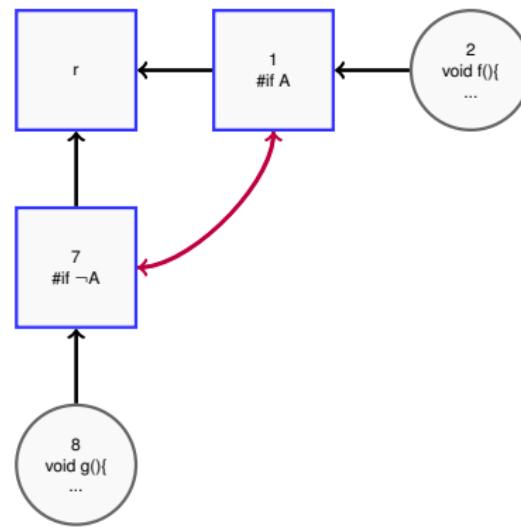
Motivation
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Formalism
○○○○○●○○

Evaluation
○○○○○

Alternative Edges

$$xRy := (x) \models \neg(y)$$

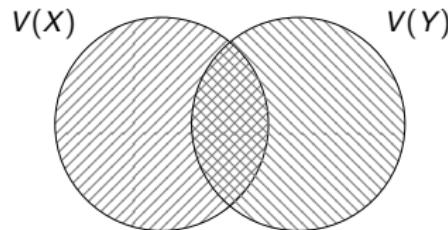


Motivation
○○○

Formalism
○○○○○●○

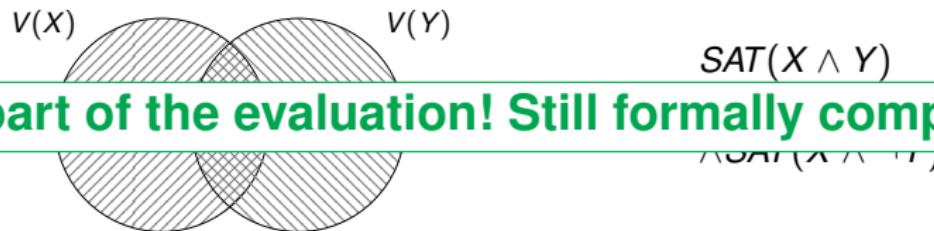
Evaluation
○○○○○

Intersected/*Common Intersection*



$$\begin{aligned} & SAT(X \wedge Y) \\ & \wedge SAT(\neg X \wedge Y) \\ & \wedge SAT(X \wedge \neg Y) \end{aligned}$$

Intersected/Common Intersection



→ Not part of the evaluation! Still formally completes the set of relations.

Evaluation

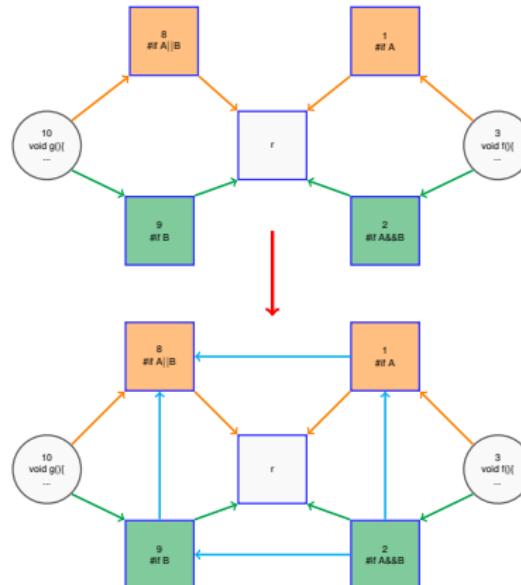
Quantitative Analysis:

- Edge-Typed Variation Diffs vs Variation Diffs:
 - Construction performance
 - Complexity
- Compare potential optimizations for construction

Motivation
○○○

Formalism
○○○○○○○○

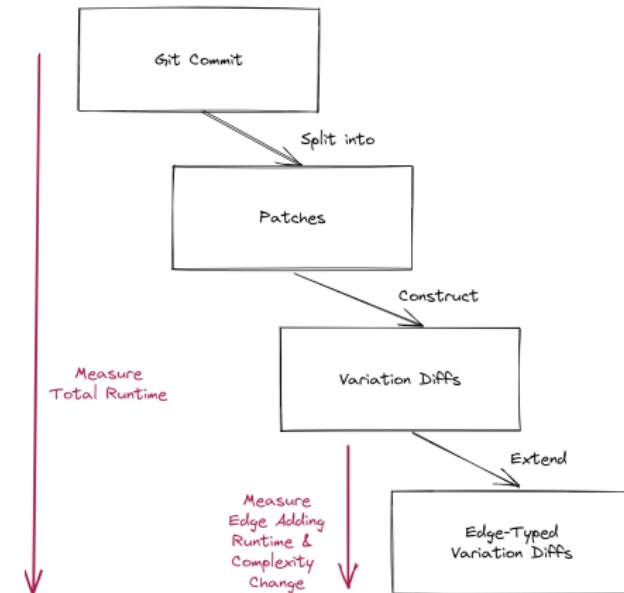
Evaluation
●○○○○



Evaluation

Quantitative Analysis:

- Edge-Typed Variation Diffs vs Variation Diffs:
 - Construction performance
 - Complexity
- Compare potential optimizations for construction



Motivation

○○○

Formalism

○○○○○○○○

Evaluation

○●○○○

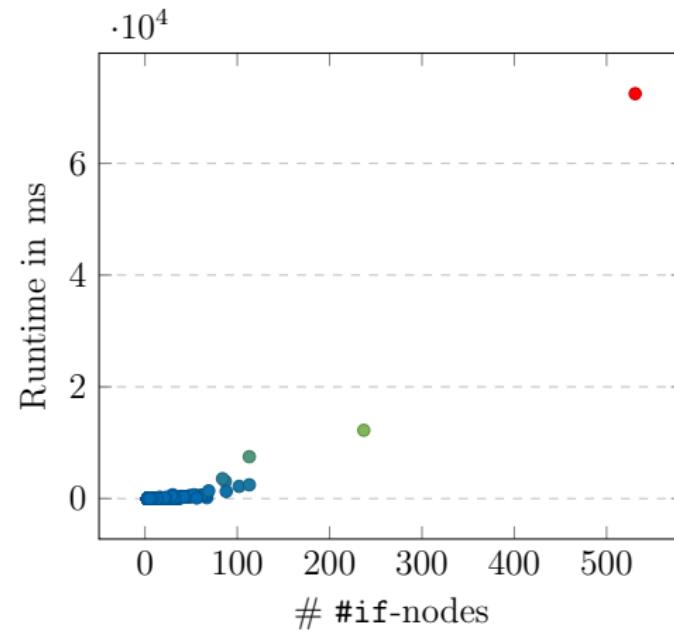
Repo	Additional Runtime in milliseconds			
	mean	min	max	median
apache-htpd	1.45	0	17295	0
berkeley-db-libdb	0.06	0	16	0
busybox	37.97	0	215733	0
cherokee-webserver	0.21	0	270	0
clamav	3.35	0	15116	0
cpython	36.93	0	329143	0
dia	0.13	0	125	0
emacs	4.96	0	72474	0
freebsd	8.66	0	549888	0
ghostscript	11.18	0	42650	0
gnumeric	3.16	0	71308	0
gnuplot	3.375	0	3462	0
irssi	0.03	0	17	0
libssh	0.33	0	519	0
mplayer-svn	1.39	0	2783	0
...

Motivation
○○○

Formalism
○○○○○○○○

Evaluation
○○●○○

Runtime

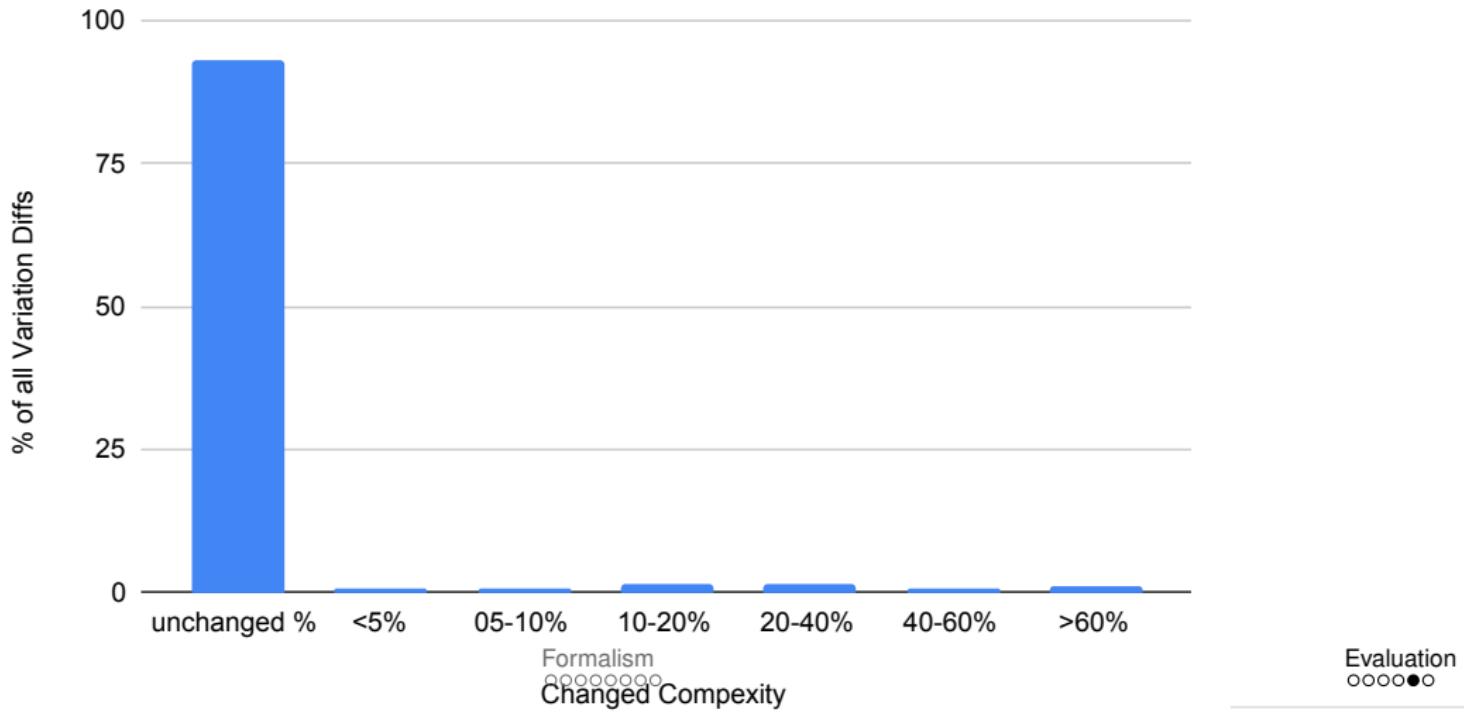


Motivation
○○○

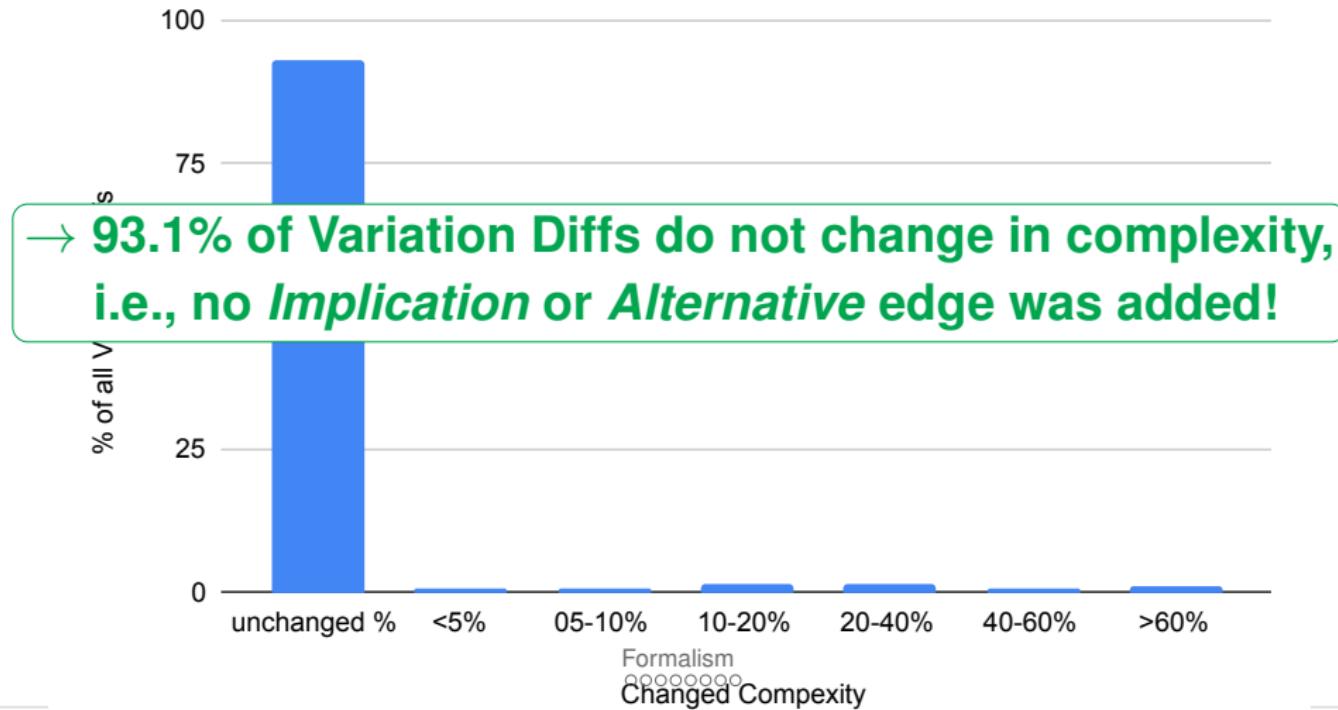
Formalism
○○○○○○○○

Evaluation
○○○●○○

Complexity



Complexity



Conclusion

- Edge-typed variation diff construction runtime almost negligible
- Most edits do not change the hierarchy of code and feature mappings much
- Set of edge types is arbitrarily expandable

Motivation
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Formalism
○○○○○○○○

Evaluation
○○○○●

Thank you for your attention!

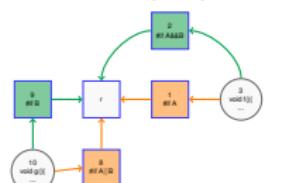
Evolution of Feature Annotations in Configurable Software

```

1   #ifdef A
2     #ifdef A && B
3       void f(){
4       }
5     #endif
6   #endif
7
8   #ifdef A || B
9     #ifdef B
10    void g(){
11    }
12  #endif
13 #endif
  
```



Variation Diffs [BTS+22]



Motivation

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Formalism

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Evaluation

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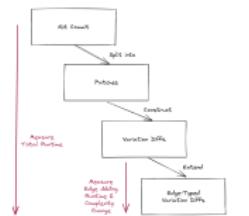
TVA

3:31 27.-31.03.2023 Lukas Güthing: Evolution of Feature Annotations in Configurable Software

Evaluation

Quantitative Analysis:

- Edge-Typed Variation Diffs vs Variation Diffs:
 - Construction performance
 - Complexity
- Compare potential optimizations for construction



Motivation

000

Formalism

00000000

Evaluation

0000000

TVA

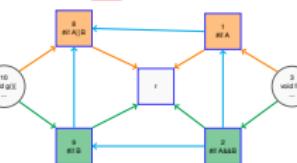
14:31 27.-31.03.2023 Lukas Güthing: Evolution of Feature Annotations in Configurable Software

Implication Edges



$$E_0 = \{(x, y) | x, y \in V, \tau(x) = \tau(y) = \text{mapping}, xRy\}$$

$$xRy := I(x) \models I(y)$$



Motivation

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Formalism

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Evaluation

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TVA

7:31 27.-31.03.2023 Lukas Güthing: Evolution of Feature Annotations in Configurable Software

Complexity



Motivation

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Formalism

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Evaluation

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TVA

17:31 27.-31.03.2023 Lukas Güthing: Evolution of Feature Annotations in Configurable Software

Literature



Paul Maximilian Bittner, Christof Tinnes, Alexander Schultheiß, Sören Viegner, Timo Kehrer, and Thomas Thüm.
Classifying Edits to Variability in Source Code.
pages 196–208, November 2022.

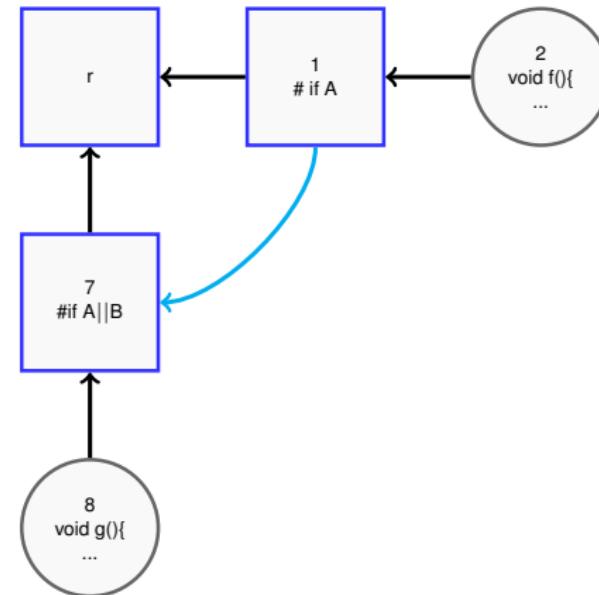


Future Work

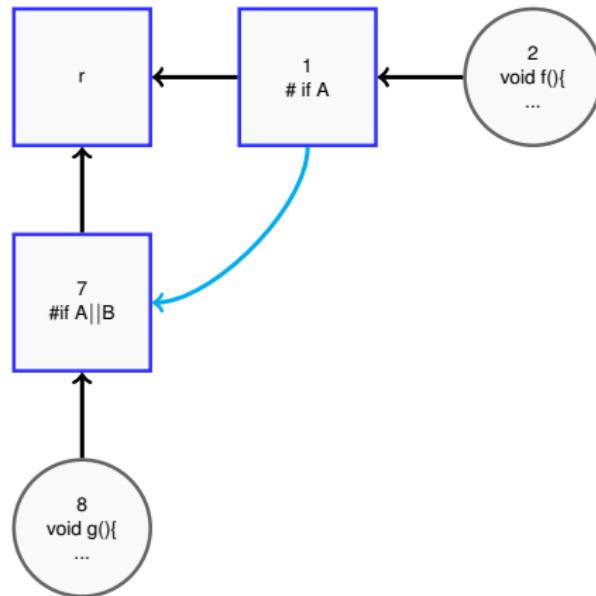
- Pattern Finding
- Further Variation Diff Extensions
- Measured Variables and Metrics



Edge-Typed Variation Tree



Edge-Typed Variation Tree



$$EVT = (V, E, r, \tau, I, \pi)$$

$$E \subseteq V \times V,$$

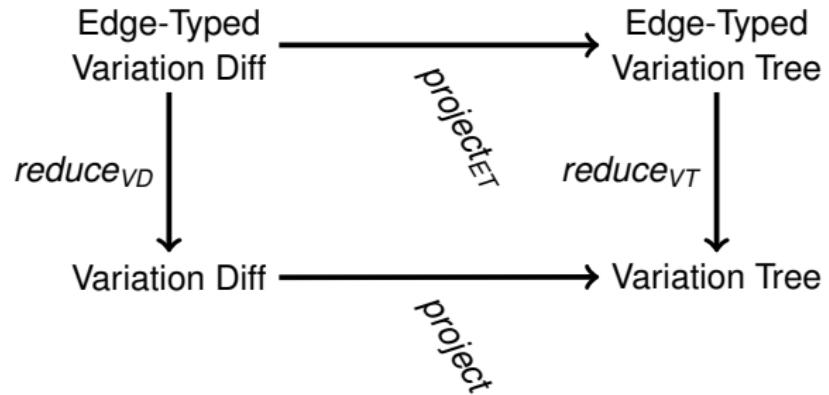
$$E = \{(x, y) | x, y \in V, xRy\}$$

for a relation R , an edge label function π and r, τ, I as defined for variation trees.

$\tau(x) = \tau(y) = \text{mapping}$ for new edges



Repository	Domain	Number of Commits
apache-httdp	web server	32,927
berkeley-db-libdb	database system	7
busybox	embedded systems	17,447
cherokee-webserver	web server	5,853
clamav	antivirus program	10,656
cpython	program interpreter	112,096
dia	diagramming software	6,666
emacs	text editor	153,926
freebsd	operating system	271,937
ghostscript	postscript interpreter	22,137
gnumeric	spreadsheet application	24,134
gnuplot	plotting tool	11,748
irssi	IRC client	6,346
libssh	network	5,349
mplayer-svn	media player	37,992
MPSolve	mathematical software	1,773
openldap	LDAP directory service	23,928
opensolaris	operating system	11,422
parrot	virtual machine	49,989
...

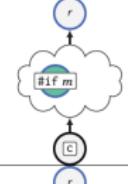
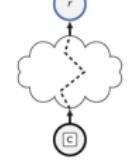


$reduce_{vd}((V, E_{ex}, r, \tau, I, \Delta, \pi)) := (V,$
 $\{e \in E_{ex} \mid \pi(e) = Nesting\},$
 $r, \tau, I, \Delta).$



$$\begin{aligned}
& project_{ET}((V, E_{ex}, r, \tau, l, \Delta, \pi), t) := \\
& (\{v \in V | exists(t, \Delta(v))\}, \\
& \{e \in E_{ex} | \pi(e) = Nesting \wedge exists(t, \Delta(e))\} \\
& \cup \{(x, y) \in E_{ex} | \pi(e) \neq Nesting \\
& \wedge exists(t, \Delta(x)) \wedge exists(t, \Delta(y))\}, \\
& r, \tau, l, \pi).
\end{aligned}$$


Edit classes [BTS⁺22]

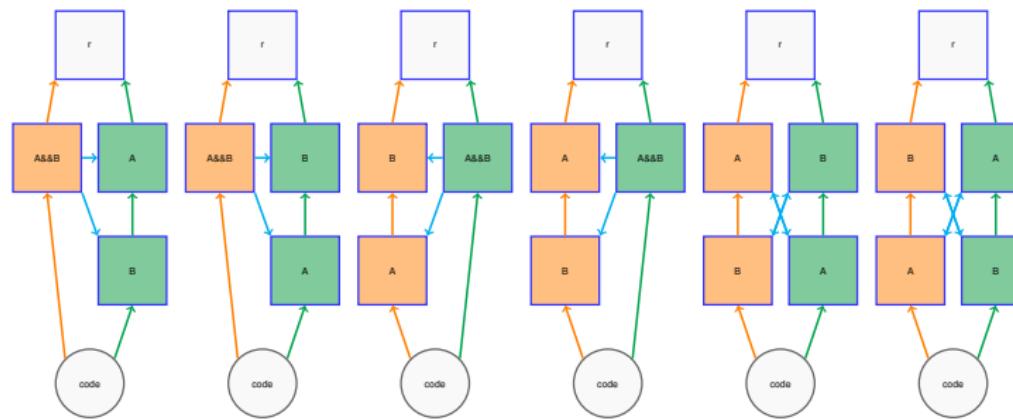
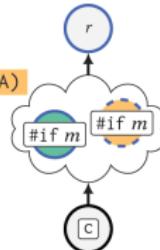
Edit Pattern Definition	Example Diff	Example Tree Diff	Edit Pattern Definition	Example Diff	Example Tree Diff	Edit Pattern Definition	Example Diff	Example Tree Diff
$\text{AddWithMapping}(c) := \text{added}(c) \wedge \text{added}(M_a(c))$	$+ \#if\ m$ $+ c$ $+ \#endif$		$\text{AddToPC}(c) := \text{added}(c) \wedge \neg \text{added}(M_b(c))$	$\#if\ m$ $+ c$ $\#endif$		$\text{Specialization}(c) := \text{unchanged}(c)$ $\wedge \neg (\text{PC}_b(c) \models \text{PC}_a(c))$ $\wedge (\text{PC}_a(c) \models \text{PC}_b(c))$	$+ \#if\ m$ c $+ \#endif$	
$\text{RemWithMapping}(c) := \text{removed}(c) \wedge \text{removed}(M_b(c))$	$- \#if\ m$ $- c$ $- \#endif$		$\text{RemFromPC}(c) := \text{removed}(c) \wedge \neg \text{removed}(M_b(c))$	$\#if\ m$ $- c$ $\#endif$		$\text{Generalization}(c) := \text{unchanged}(c)$ $\wedge (\text{PC}_b(c) \models \text{PC}_a(c))$ $\wedge \neg (\text{PC}_a(c) \models \text{PC}_b(c))$	$- \#if\ m$ c $- \#endif$	
$\text{Reconfiguration}(c) := \text{unchanged}(c)$ $\wedge \neg (\text{PC}_b(c) \models \text{PC}_a(c))$ $\wedge \neg (\text{PC}_a(c) \models \text{PC}_b(c))$	$- \#if\ m$ $+ \#if\ m'$ c $\#endif$		$\text{Refactoring}(c) := \text{unchanged}(c)$ $\wedge (\text{PC}_b(c) \models \text{PC}_a(c))$ $\wedge (\text{PC}_a(c) \models \text{PC}_b(c))$ $\wedge (\text{path}_b(c) \neq \text{path}_a(c))$	$- \#if\ A \ \ (B \ \&\ !A)$ $+ \#if\ A \ \ B$ c $\#endif$		$\text{Untouched}(c) := \text{unchanged}(c)$ $\wedge (\text{PC}_b(c) \models \text{PC}_a(c))$ $\wedge (\text{PC}_a(c) \models \text{PC}_b(c))$ $\wedge (\text{path}_b(c) = \text{path}_a(c))$		



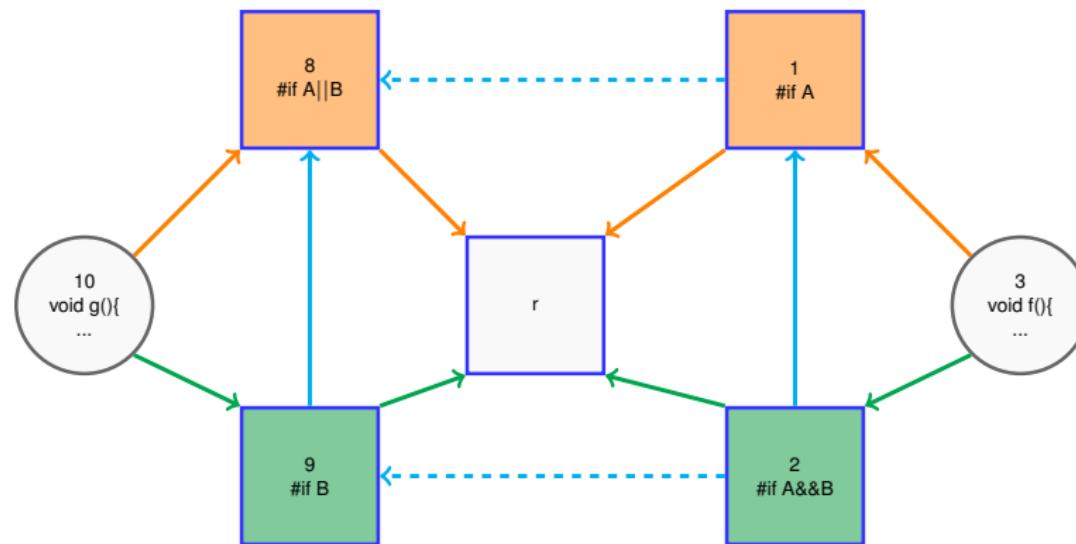
Edit classes

Refactoring(c) := unchanged(c)
 $\wedge (\text{PC}_b(c) \models \text{PC}_a(c))$
 $\wedge (\text{PC}_a(c) \models \text{PC}_b(c))$
 $\wedge (\text{path}_b(c) \neq \text{path}_a(c))$

- `#if A || (B && !A)`
 + `#if A || B`
 c
`#endif`



Optimizations



Optimizations

General:

- Omit paper analysis tooling
- Filter *True* and *False*
- Only compare changed feature mappings
- Pre-analyse files in commits

Edge-Type Specific:

- Bidirectional edges
- Mutual exclusivity of different edge types
- Transitivity



Evaluation of the SAT calls			Relation type
$SAT(I(x) \wedge I(y))$	$SAT(I(x) \wedge \neg I(y))$	$SAT(\neg I(x) \wedge I(y))$	
1	1	1	<i>common-intersection</i>
1	1	0	<i>implication</i> ($I(y)$ implies $I(x)$)
1	0	1	<i>implication</i> ($I(x)$ implies $I(y)$)
1	0	0	<i>implication</i> (formula equivalency)
0	1	1	<i>alternative</i>
0	1	0	<i>implication</i> ($I(y)$ is <i>False</i>)
0	0	1	<i>implication</i> ($I(x)$ is <i>False</i>)
0	0	0	<i>implication/alternative</i> ($I(x)$ and $I(y)$ are <i>False</i>)

Tabelle: All potential cases the *commonintersection* predicate can succeed and fail for.

